

LCLS Undulator Parameter Workshop

*Performance Analysis Using RON
(and some notes on the LCLS prototype)*

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Outline

- **Some information on the LCLS prototype**
- **Modified semi-analytical approach to estimate gain length and saturation length (N. Vinokurov)**
- **RON simulation results (gain length and sensitivity to variation of average B-field)**
- **Conclusions**

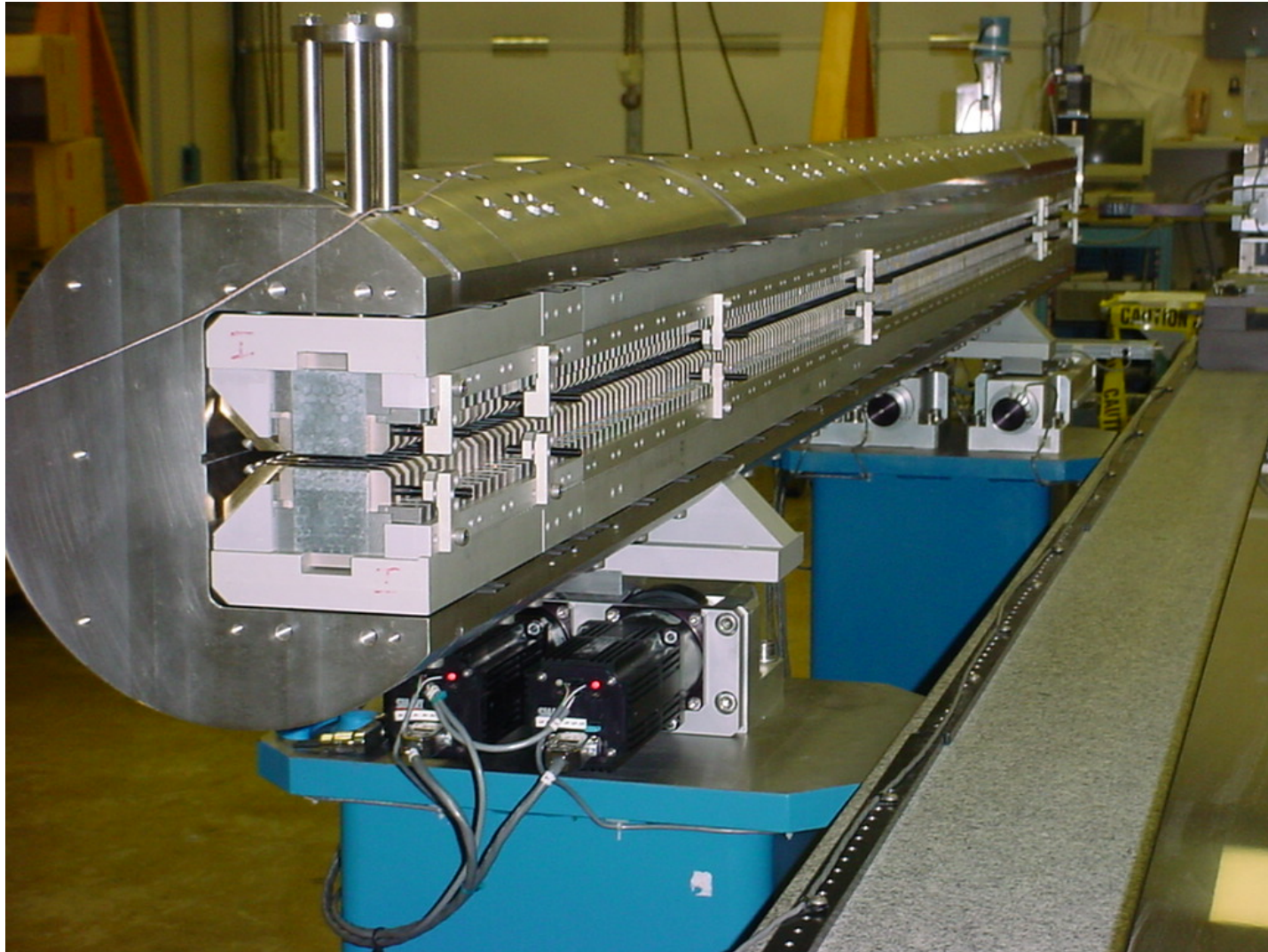


LCLS “New” Parameters

Beam energy, E	3.63, 11.47, 14.04 GeV
Beam peak current, I	3.4 kA
Beam energy spread, $\delta E/E$	3.9×10^{-4} , 1.3×10^{-4} , 1.0×10^{-4}
Normalized beam emittance, ε_n	1.2×10^{-6} m-rad
FODO lattice, quad strength	60 T/m
Average beta function, $\beta_x \sim \beta_y$	10, 25, 30 m
Average beam size, $\sigma_x \sim \sigma_y$	41, 37, 36 μm
Break length pattern	3-3-4
Radiation wavelength, λ_r	15, 1.5, 1.0 \AA
Undulator period length, λ_w	3.0 cm
Undulator K value	2.841
Undulator gap	~ 8.2 mm (for NdFeB)
Resonance break length (n=1)	151 mm

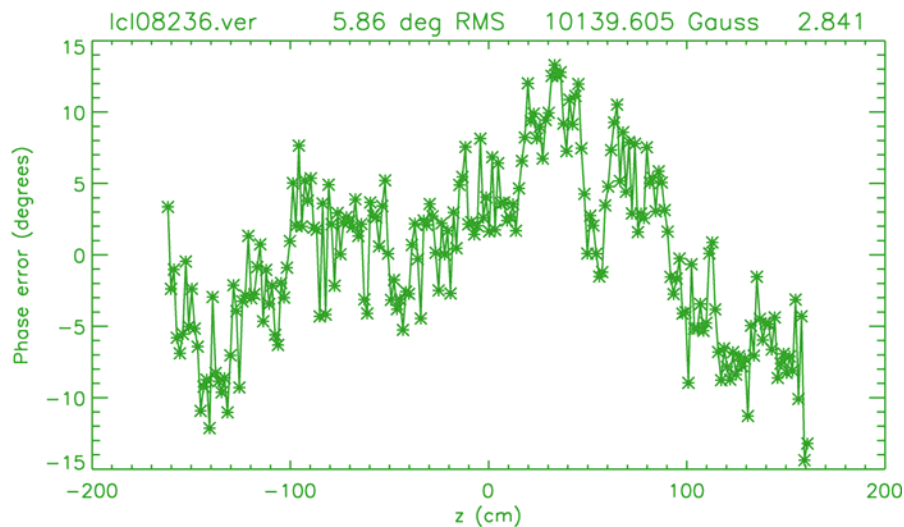
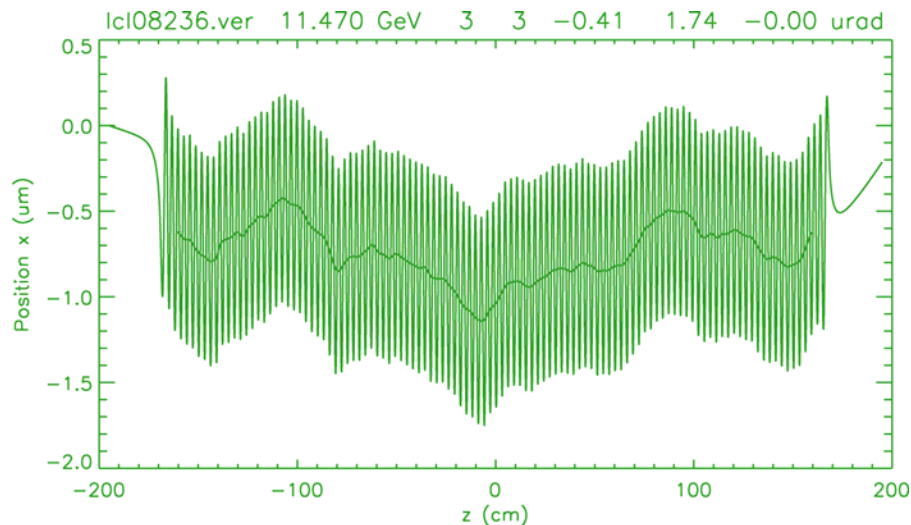


LCLS Prototype Undulator In the Magnetic Measurement Laboratory



Derived Horizontal Trajectory and Phase Errors at 11.47 GeV

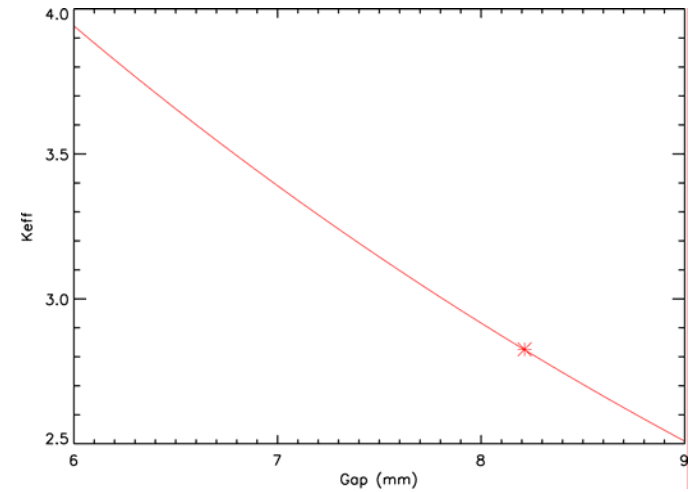
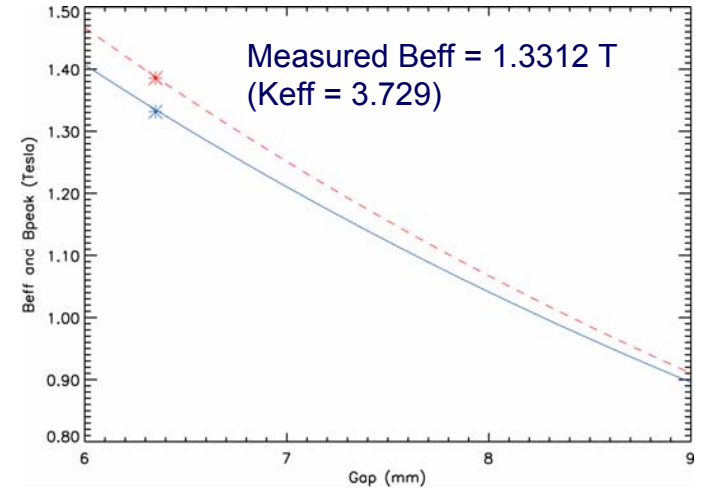
- Measured B-field at 6.35 mm gap scaled from 13312 Gauss to 10140 Gauss
- $K = 2.84$, $\lambda_r = 1.5 \text{ \AA}$
- Gap $\sim 8.2 \text{ mm}$ for NdFeB with remanent magnetic field (B_r) of 1.24 Tesla
- Phase slippage for 113 periods is 3547 mm (from scaled measured field)
- Ti-core is 3400 mm: $\sim 150 \text{ mm}$ “extra” drift space at each break section (in addition to “3-3-4” breaks)
- “Resonance” break length is 151 mm



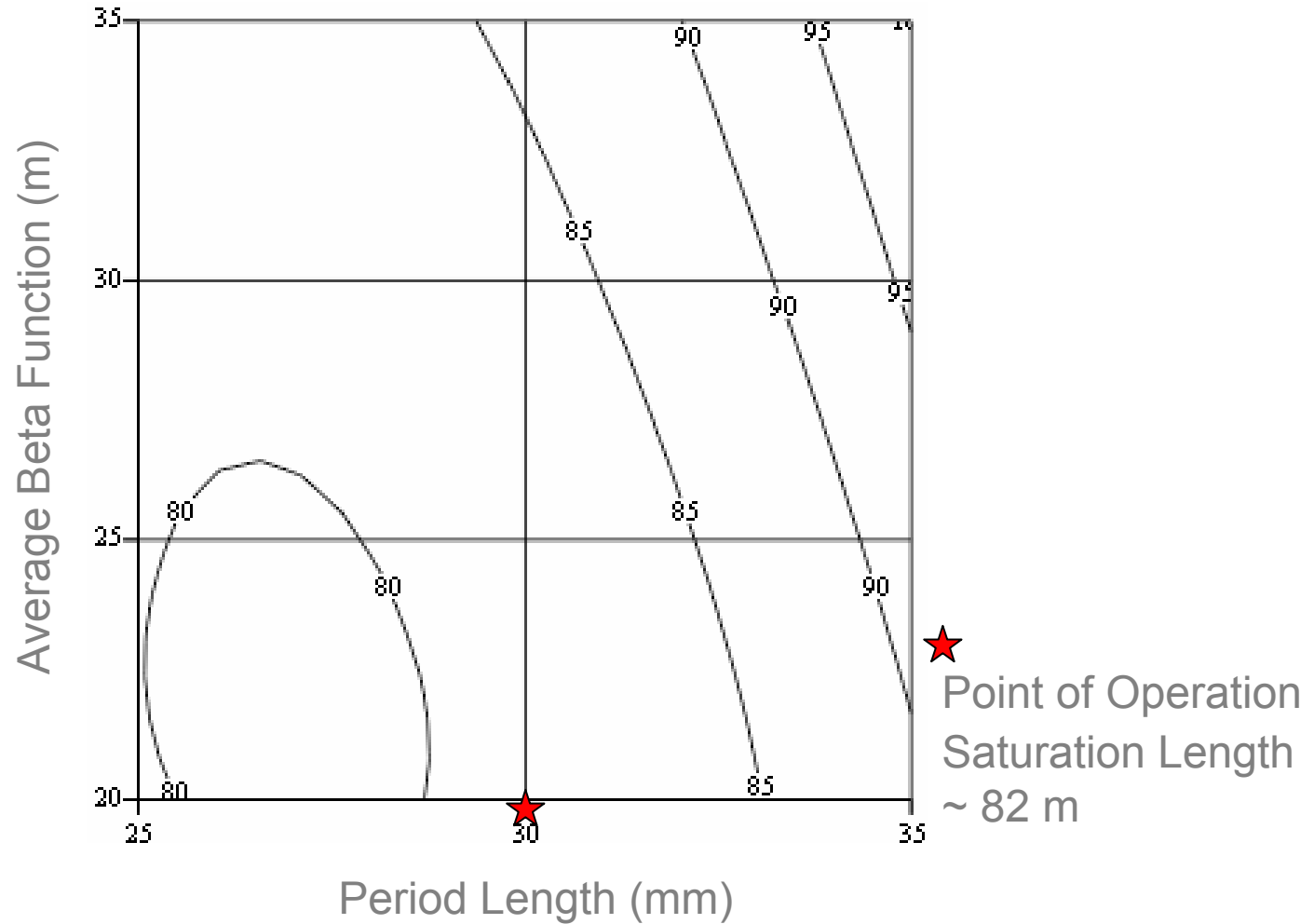
Model Calculated B-fields vs. Measured Values at 6.35 mm Gap

- NdFeB magnets with remanent magnetic field (B_r) of 1.24 Tesla
- $B(T) = B_0(T) \cdot \exp(-q \cdot \text{gap})$
- $B_{\text{effo}} = 3.473 \text{ T}$
 $q_{\text{eff}} = 0.1506 \text{ mm}^{-1}$
 $B_{\text{peako}} = 3.811 \text{ T}$
 $q_{\text{peak}} = 0.1591 \text{ mm}^{-1}$

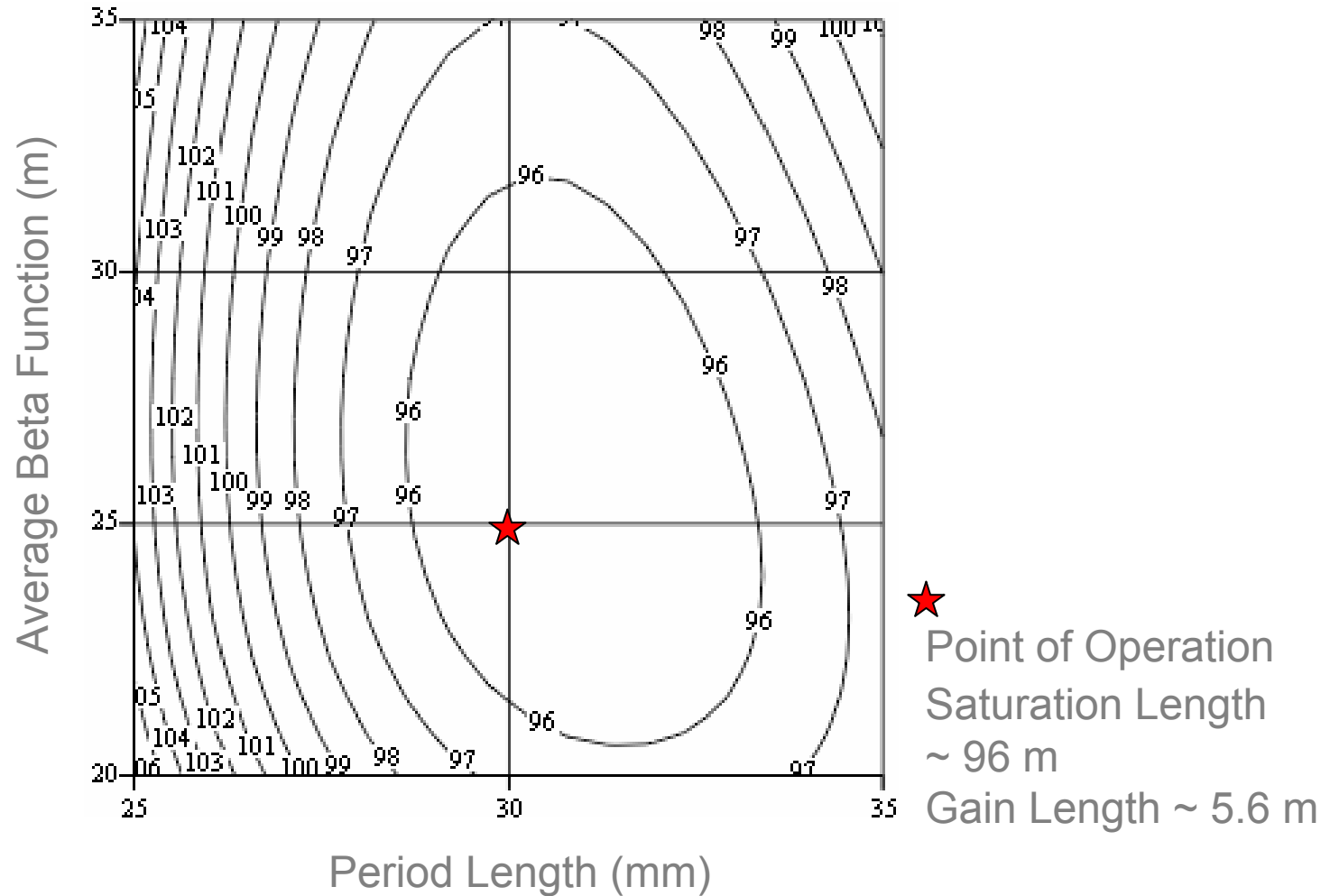
- | Gap(mm) | $B_{\text{eff}}(T)$ | $B_{\text{peak}}(T)$ | K_{eff} |
|---------|---------------------|----------------------|------------------|
| 8.00 | 1.0411 | 1.0672 | 2.916 |
| 8.10 | 1.0255 | 1.0503 | 2.873 |
| 8.20 | 1.0102 | 1.0338 | 2.830 |
| 8.30 | 0.9951 | 1.0174 | 2.787 |



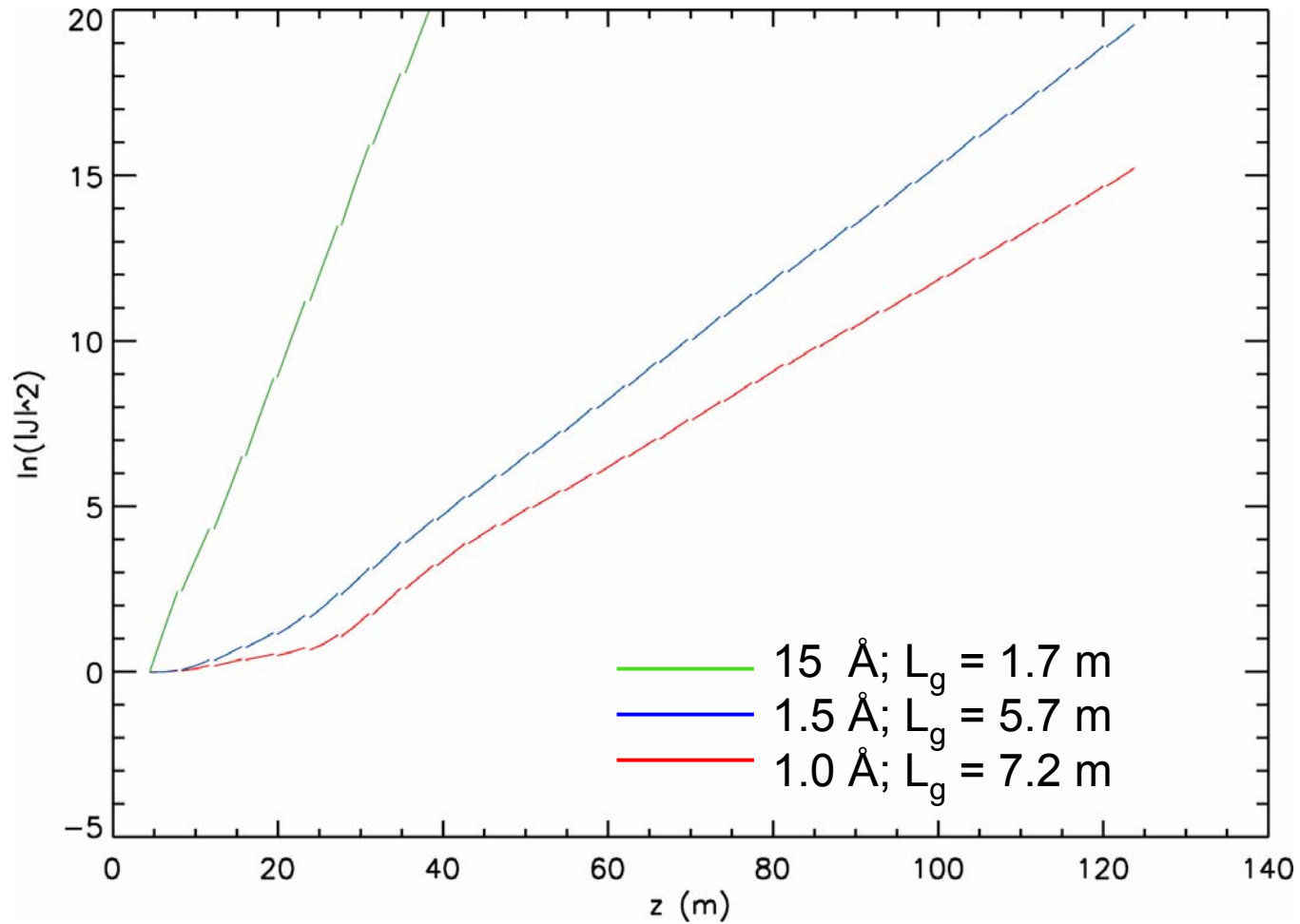
“Old” Parameters (from CDR; 1.2 mm-mrad): Contours of Constant Saturation Length @ 1.5 Å



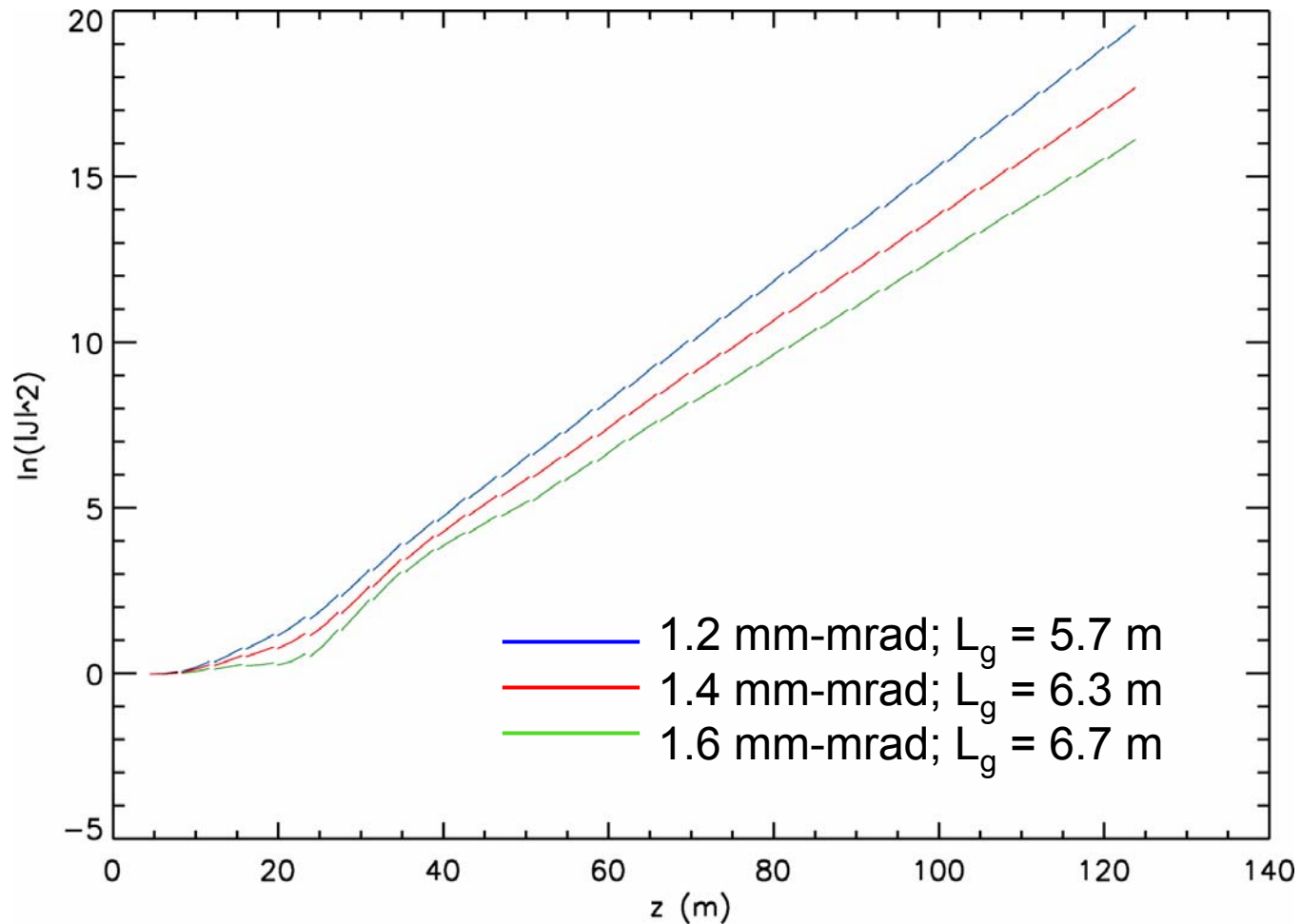
“New” Parameters (3-3-4 breaks; 1.2 mm-mrad): Contours of Constant Saturation Length @ 1.5 Å



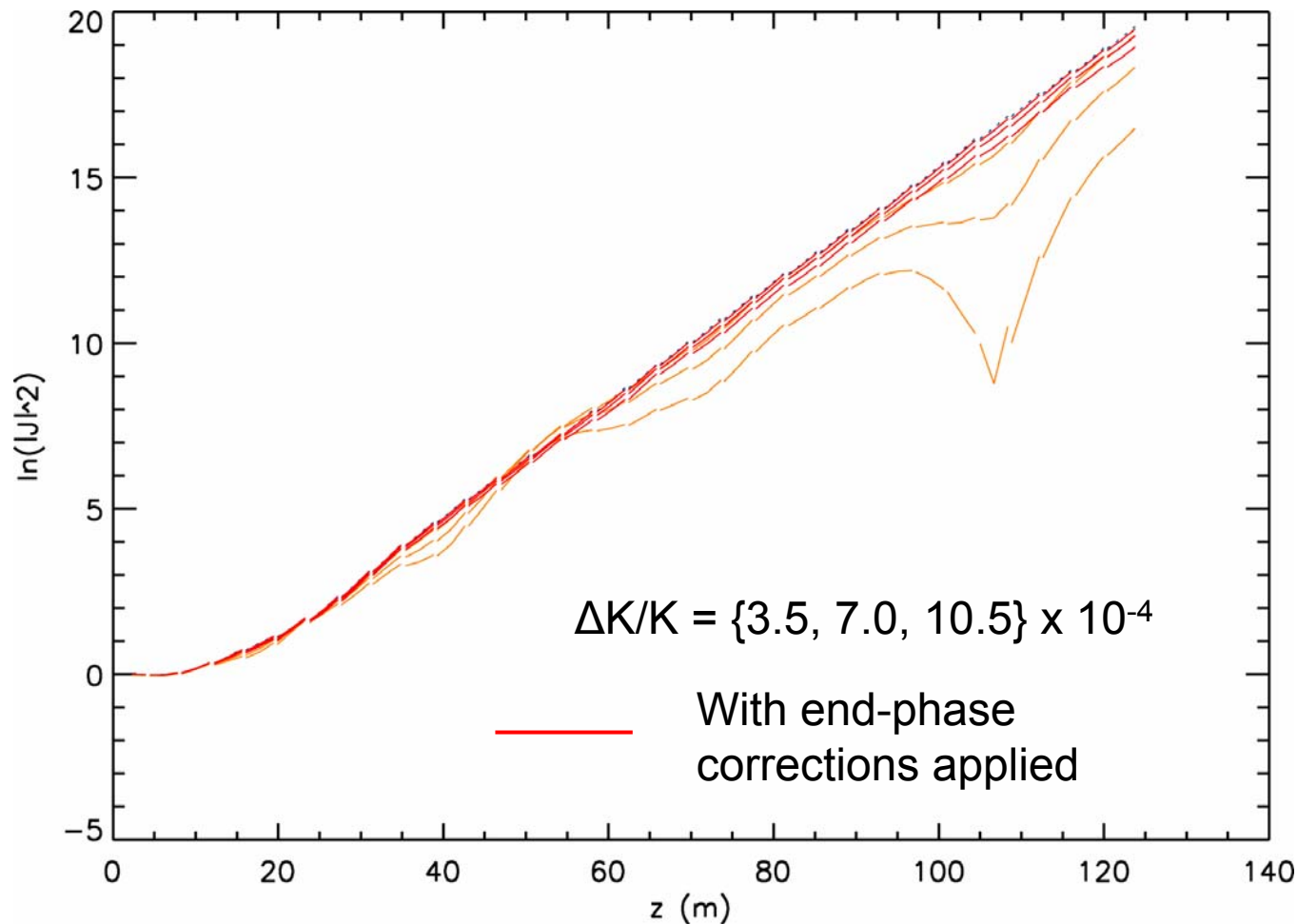
FEL Gain @ 1.2 mm-mrad vs. Radiation Wavelength



FEL Gain @ 1.5 Å vs. Emittance



$\Delta K/K$ Variation from Device to Device: w/ and w/o End-Phase Corrections @ 1.2 mm-mrad and 1.5 Å



Conclusions

- The proposed changes of increased undulator gap (to ~ 8.2 mm and reduced K value to ~ 2.84) and increased break lengths lead to an increase in the saturation length by ~ 14 m (4 undulator segments) at 1.5 \AA and 1.2 mm-mrad
- At shorter wavelength ($< 1.5 \text{ \AA}$) and at larger emittance ($> 1.2 \text{ mm-mrad}$), the saturation length increases even further
- The increase of the average β -function (decrease of the quadrupole gradient to $\sim 60 \text{ T/m}$) only marginally increases the saturation length ($\sim 2 \text{ m}$) at 1.5 \AA
- The undulator end-gap adjustments for end-phase corrections are able to compensate undulator magnetic field amplitude variations of $\sim 10^{-3}$

